In re Patent Application of: WESTPHAL
Serial No. 09/787,290
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In the Specification:

Please amend the paragraph on page 10, lines 15-18, with the following rewritten paragraph:

In a dual fashion, if we are moving towards \mathbf{O} in the ANS-space, we get the base values, so that $\mathbf{pq} \rightarrow \mathbf{O}$ is \mathbf{pq} . From \mathbf{O} , a vector to $(\stackrel{-}{p},\stackrel{-}{q})$ will thus be \mathbf{pq} . In the ANS-space \mathbf{O} has the effect of putting \mathbf{p} and \mathbf{q} through the dagger function " \downarrow ", by which $\mathbf{p} \downarrow \mathbf{q}$ is $\stackrel{-}{p} \stackrel{-}{q}$. Wittgenstein's operator \mathbf{N} in the Tractatus could be described as a generalization of \downarrow to more than two places, as $\mathbf{N}(\mathbf{p},\mathbf{q},\mathbf{r})$, for example, is \mathbf{pqr} . We could also describe a generalized Sheffer operation for more than two places which trANS-forms a base such as say $(\mathbf{p},\mathbf{q},\mathbf{r},\mathbf{s})$ into \mathbf{p} \mathbf{v} \mathbf{q} \mathbf{v} \mathbf{r} \mathbf{v} \mathbf{s} . This operation could be called \mathbf{S} for "Sheffer".

Please amend the paragraph on page 26, lines 6-7, with the following rewritten paragraph:

The contradiction of **O** (the so-called "Nullpunkt", or "white") corresponds to the addition of complementary <u>hues</u>.

With complementaries "... what is offered, so to speak, in the way of colour by one spectrum (or colour) is withdrawn by the other, so that the result is a vanishing of colour, just as in a contradiction between two propositions which negate one another the result is a vanishing of information" (Jonathan Westphal, Colour, Blackwell, 1991, p. 108). YR + BR = R, since Y and B are complementary.